

# Uncertainty Quantification for Atmospheric Entry of Space Vehicles

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FOR FLUID DYNAMICS

UTOPIÆ



# Atmospheric entry

plays an essential role in Space mission design

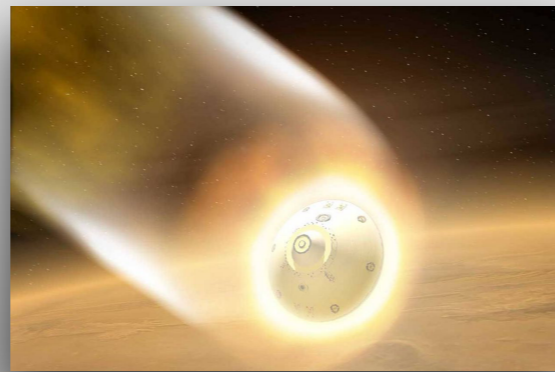
The branch of Science that studies the physico-chemical phenomena present in atmospheric entry is called **AEROTHERMODYNAMICS**

**Aerothermodynamics** is present in many Space applications

Access to LEO



Space Exploration

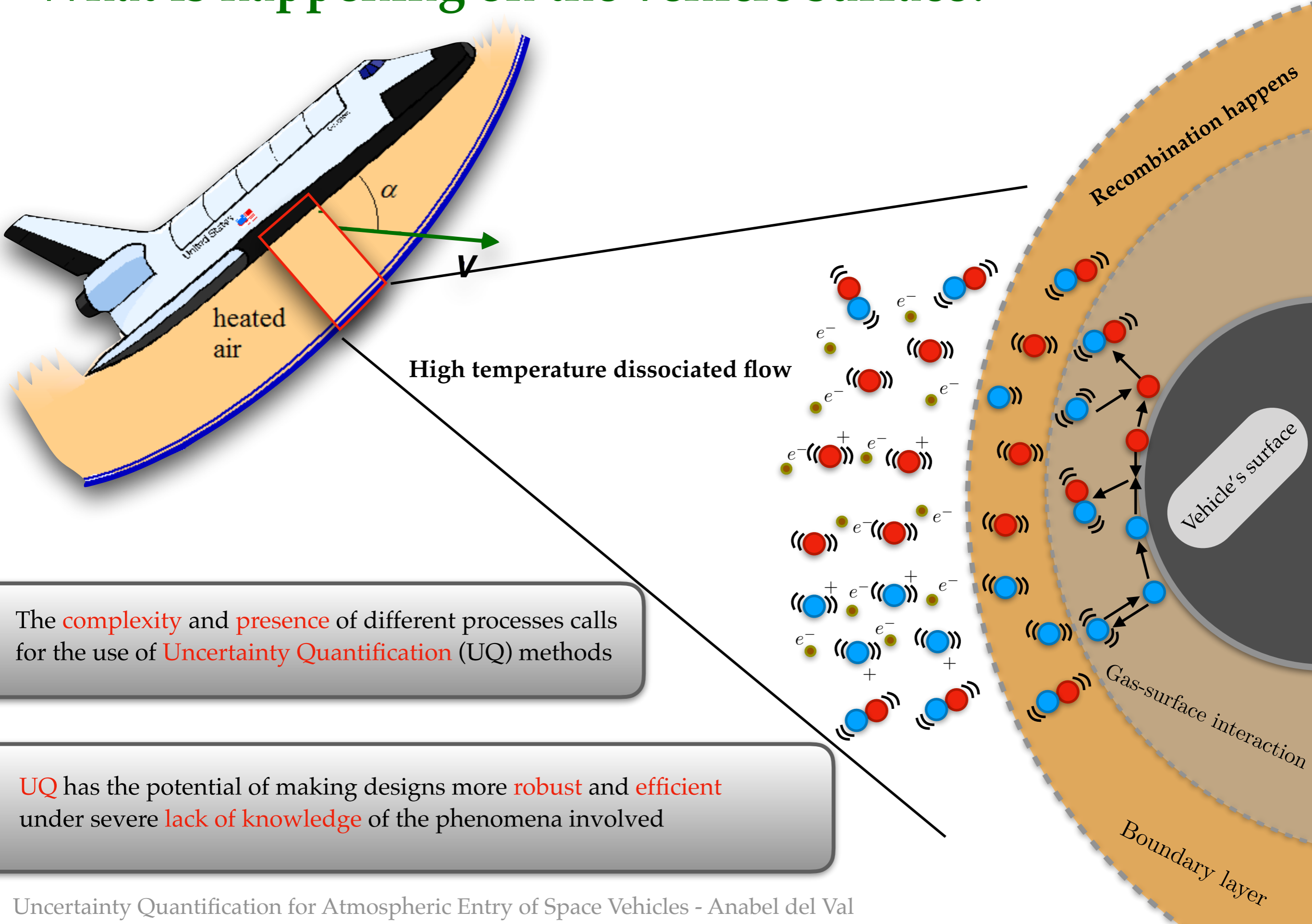


Meteor phenomena



The common denominator is a complex gas-surface interaction phenomena

# What is happening on the vehicle surface?

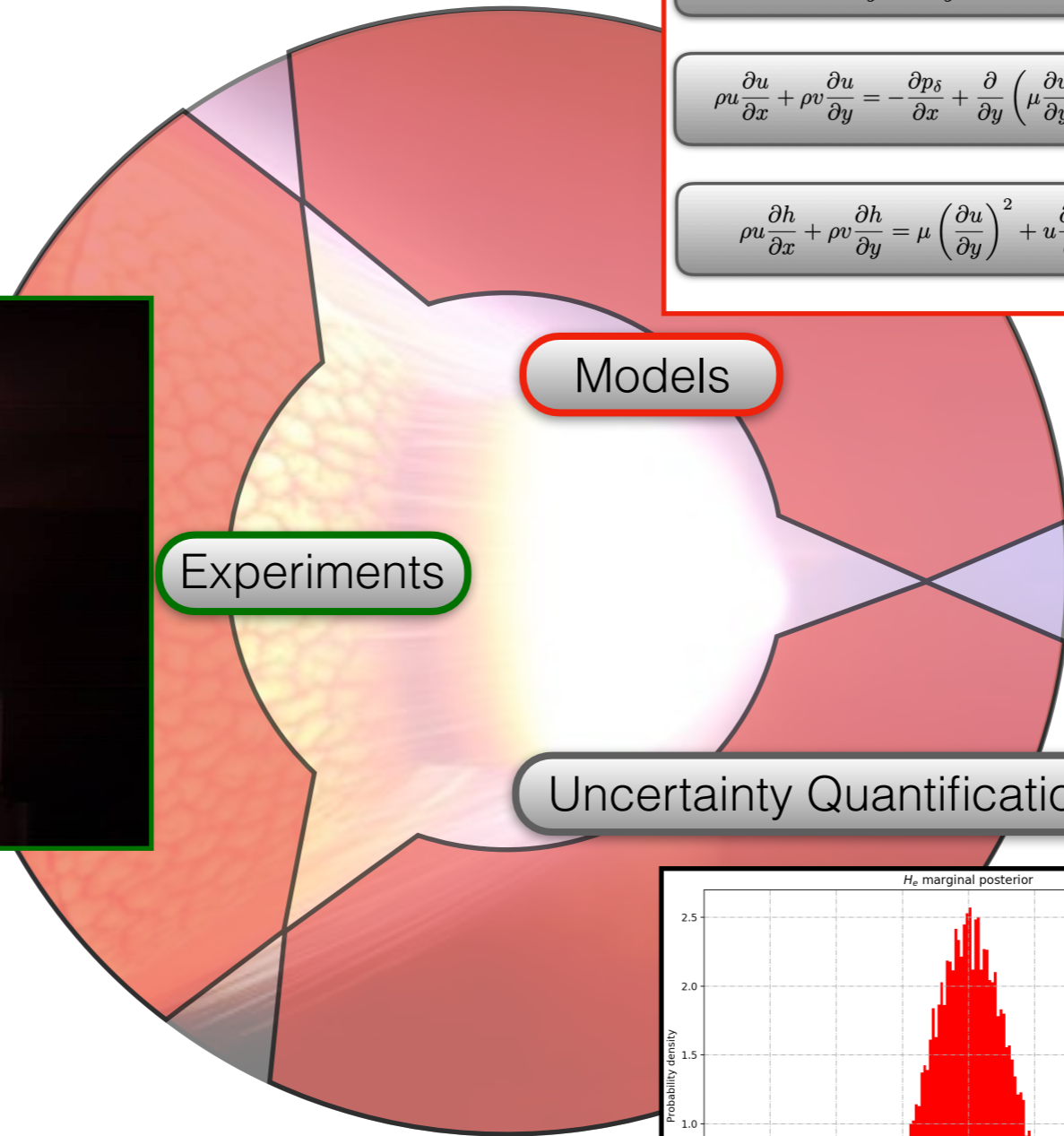
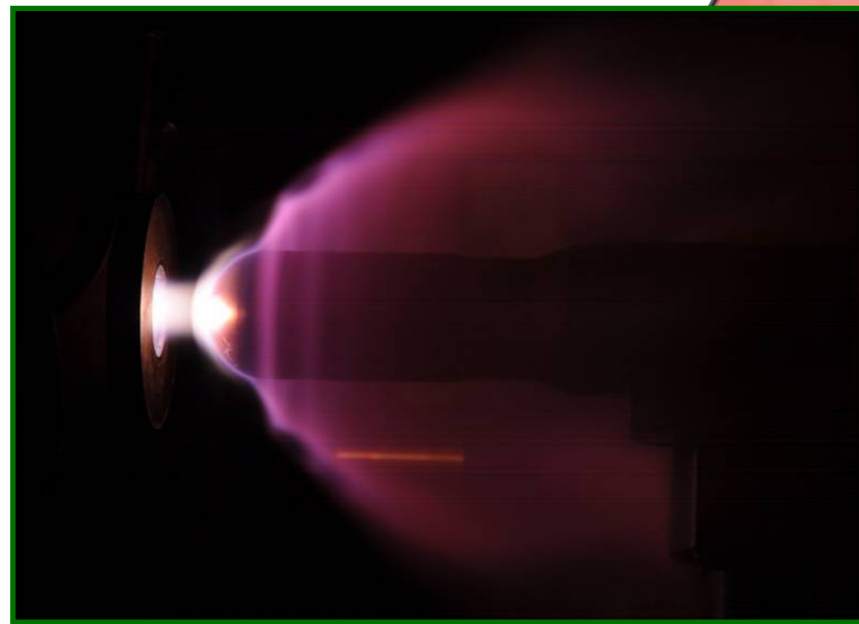


The **complexity** and **presence** of different processes calls for the use of **Uncertainty Quantification** (UQ) methods

**UQ** has the potential of making designs more **robust** and **efficient** under severe **lack of knowledge** of the phenomena involved

# Full integration for predictive science

results in better designs



$$\frac{\partial(\rho u)}{\partial x} + \frac{\partial(\rho v)}{\partial y} = 0$$
  
$$\rho u \frac{\partial y_i}{\partial x} + \rho v \frac{\partial y_i}{\partial y} = \frac{\partial J_i^y}{\partial y} + \dot{w}_i \quad \forall i \in \mathcal{S}$$
 Continuity

$$\rho u \frac{\partial u}{\partial x} + \rho v \frac{\partial u}{\partial y} = -\frac{\partial p_\delta}{\partial x} + \frac{\partial}{\partial y} \left( \mu \frac{\partial u}{\partial y} \right)$$
 Momentum

$$\rho u \frac{\partial h}{\partial x} + \rho v \frac{\partial h}{\partial y} = \mu \left( \frac{\partial u}{\partial y} \right)^2 + u \frac{\partial p_\delta}{\partial x} - \frac{\partial q^y}{\partial y}$$
 Energy

